IN THE SPECIFICATION:

Please amend the paragraph beginning on Page 1, line 8 as follows:

The present application is related to U.S. application Serial No. <u>09/652,820</u>, titled A Method for Recovering 3D Scene Structure and Camera Motion Directly from Image Intensities, filed on <u>8/31/00</u>, by the same inventor a sthe present application which related application is incorporated herein by reference.

Please delete the translational flow vectors on the top of page 11 as follows:

$$\Phi_{x} = \begin{bmatrix} Q_{z}^{-1} \\ 0 \end{bmatrix} \\
\Phi_{y} = \begin{bmatrix} \{0\} \\ Q_{z}^{-1} \end{bmatrix} \\
\Phi_{z} = \begin{bmatrix} \{q_{x}Q_{z}^{-1} \} \\ \{q_{y}Q_{z}^{-1} \} \end{bmatrix}$$

T

Please amend the paragraph beginning on Page 21, line 20 as follows:

We eliminate the Z_n^{-1} from (8) above and solve directly for U and Ω . Denote the columns of U by $U = \begin{bmatrix} U_1 & U_2 & U_3 \end{bmatrix}$, and similarly for Ω . Let $U_3' = s^{-1}U_3$ and $\Omega_3' = s^{-1}\Omega_3$, where the scale s equals the average distance of the image points from the image center. We include s to reduce the bias of the algorithm. From the definitions of Φ_x , Φ_y , Φ_z , (8) above implies $I_{yn} \Big[H^T S^{(3)} U_1 + \Psi \Omega_1 \Big]_n \approx I_{xn} \Big[H^T S^{(3)} U_2 + \Psi \Omega_2 \Big]_n \approx I_{yn} \Big[H^T S^{(3)} U_3' + \Psi \Omega_3' \Big]_n$ $-s^{-1} \Big(\nabla I_n \cdot \mathbf{p}_n \Big) \Big[H^T S^{(3)} U_2 + \Psi \Omega_2 \Big]_n \approx I_{yn} \Big[H^T S^{(3)} U_3' + \Psi \Omega_3' \Big]_n \text{ and a similar equation}$ with $(x \leftrightarrow y)$. Step 2A of our algorithm solves this system of linear equations for Ω and U in

the least-squares sense and then recovers the Z_n^{-1} from these solutions and (8) above. The computation is $O(N_p)$. Note also that step 2a bases its computations on ∇I . It we use the value of ∇I computed from the measured reference image I^0 , then the estimates of U, Ω, Z_n^{-1} will not be true multi-frame estimates. To get a better multi-frame estimate, one can first re-compute I^0 and ∇I based on all the image data and use the result to compute U, Ω via (9) as follows.